



Julia: A third perspective

Parallel computing explained

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A language for both prototyping and performance



We try to cover the following

- A quick review of what's covered in the previous talks
- Automatic parallelization in linear algebra operations
- **Parallel and distributed computing**
- Running julia on CCF systems

What's **NOT** covered

- Threaded computing (next separate talk)
- MPI and others

This is not a complete, systematic introduction but a collection of pointers for ones to explore.



A quick review



A quick review

Structure

struct Person

name::**AbstractString**

id::**Int**

end

people = Person[] **# Create an empty array**

push!(people, Person("Ge B", 88544))

push!(people, Person("Tyson W", 78910))

julia> people

2-element Array{Person,1}:

Person("Ge B", 88544)

Person("Tyson W", 78910)



A quick review

Dictionaries (Pair of key, value)

Create a dictionary containing two entries

```
d = Dict("a"=>1,"b"=>2)
```

Get the value corresponding to key "a", otherwise return -1

```
get(d,"a",-1)
```

Add an entry or a dictionary, but the original d does not change

```
merge(d,Dict("c"=>99))
```

Add an entry or a dictionary, now d has changed

```
merge!(d,Dict("c"=>99))
```



A quick review

Operations	MATLAB	R	Julia	Note
Slicing	A(i,j), B(i:j,m:n)	A[i,j], B[i:j,m:n]	A[i,j], B[i:j,m:n]	
	A(end)	A[length(A)]	A[end]	The last element.
	A(1:end ~=k)	A[-k]	A[1:end !=k]	All but the kth element.
	A(i,:), A(:,j)	A[i,], A[,j]	A[i,:], A[:,j]	
Assignment	B = A	B = A	copyto!(B,A)	With B=A, B is an alias to A. Use copyto!() to create a copy.
Sequence	from,by,to	seq(from,to,by)	collect(from,by,to)	
Filtering	A > b	A > b	A .> b	Return indices of elements > b.
	A(A > b)	A[A > b]	A[A .> b]	Return a subarray of elements > b.
Replacement	A(A > b)=val	A[A > b]=val	A[A .> b] .= val	Replace elements > b with val.
Delete an object	clearvar(A)	rm(A)	A=nothing	Just replace with one taking less mem and run garbage collection with gc()



Automatic parallelization in linear algebra operations



Matrix-vector operations via OpenBLAS

We run this simple code first

```
n = 5000
```

```
A = randn(n,n)
```

```
B = randn(n,n)
```

```
C = zeros(n,n)
```

using LinearAlgebra

```
for i=1:4
```

```
    @time C = A*B
```

```
end
```

And then set environment variable

```
export OMP_NUM_THREADS=4
```

and run it again to see if there's any performance changes.

Do not spawn julia threads!



Solving linear dense system

using LinearAlgebra

```
A = [2.0 -1 0 0 0
```

```
-1 2 -1 0 0
```

```
0 -1 2 -1 0
```

```
0 0 -1 2 -1
```

```
0 0 0 -1 2]
```

```
x = ones(5)
```

```
b = A*x
```

```
sol = A\b
```

Solving linear sparse system

using LinearAlgebra

```
A = [2.0 -1 0 0 0
```

```
-1 2 -1 0 0
```

```
0 -1 2 -1 0
```

```
0 0 -1 2 -1
```

```
0 0 0 -1 2]
```

```
using SparseArrays
```

```
A1 = sparse(A)
```

```
x = ones(5)
```

```
b = A1*x
```

```
sol = A1\b
```



Implicit

- Less effort, no need to write explicit parallel code.
- Using built-in libraries, e.g. OpenBLAS for linear algebra operations using multi-cores.
- Using shared and distributed data objects.
- Debugging?

Explicit

- Need extra effort to write parallel code, having to know what you are doing.
- Explicit control of data transfers via send/recv operations among processes.
- One-sided communication via put/get operations.
- Debugging can be challenging.



Parallel and distributed computing



Parallel computing: Implicit parallelism

Matrix-vector operations via OpenBLAS

We run this simple code first

```
n = 5000
```

```
A = randn(n,n)
```

```
B = randn(n,n)
```

```
C = zeros(n,n)
```

```
using LinearAlgebra
```

```
for i=1:4
```

```
    @time C = A*B
```

```
end
```

And then set environment variable

```
export OMP_NUM_THREADS=4
```

and run it again to see if there's any performance changes.

Do not spawn julia threads!

If all your work is like this, then you are done. The rest is more advanced.



Parallel computing: Starting multiple processes

Launching from command line when starting julia

```
julia -p 8
```

or

```
julia --machine-file hostfile
```

Launching from within a julia process

```
using Distributed
```

```
# Start extra 8 processes to have 9 in total
```

```
addprocs(8)
```



Parallel computing: Starting multiple processes

Launching from command line when starting julia

```
julia -p 8
```

or

```
julia --machine-file hostfile
```

Launching from within a julia process

```
using Distributed
```

```
# Start extra 8 processes to have 9 in total  
addprocs(8)
```

Dynamically creating or increasing the number of processes is not recommended.

This is for all jobs, e.g. R, Matlab, Python, etc on systems where the job schedule controls.



Parallel computing: Broadcasting a value to all processes

Broadcast a value to all processes

using Distributed

@everywhere x = 12345 # This works

x0 = 12345

@everywhere x = x0 # This will fail, as x0 is local

@everywhere x = \$x0 # This works! By "copying" x0 value



Execute a locally defined function

using Distributed

The scope of this function is within this process

```
function showid()  
    println("My ID: ", myid())  
end
```

This is likely to fail on other processes

```
@everywhere showid()
```

Execute a globally defined function

using Distributed

This function is defined on every process

```
@everywhere function showid()  
    println("My ID: ", myid())  
end
```

Execute this procedure on every process

```
@everywhere showid()
```



Parallel computing: Executing a function on all processes

Execute a locally defined function

using Distributed

```
# The scope of this function is within this process
```

```
function showid()
```

```
    println("My ID: ", myid())
```

```
end
```

```
# This is likely to fail on other processes
```

```
@everywhere showid()
```

Execute a globally defined function

using Distributed

```
# This function is defined on every process
```

```
@everywhere function showid()
```

```
    println("My ID: ", myid())
```

```
end
```

```
# Execute this procedure on every process
```

```
@everywhere showid()
```

@everywhere *stmt*



Parallel computing: Executing a procedure remotely

using Distributed

```
println("Number of cores: ", nprocs())
```

```
println("Number of workers: ", nworkers())
```

```
# Fetch the ID of each worker and host the worker running on
```

```
for i in workers()
```

```
    id, pid, host = fetch(@spawnat i (myid(), getpid(), gethostname()))
```

```
    println(id, " ", pid, " Hello from ", host)
```

```
end
```



Parallel computing: Executing a procedure remotely

Julia uses the concept "future" referring to the remote execution.

To run a procedure on an automatically chosen process

```
f = @spawn (x.^2, myid())
```

To run a procedure on a specific process n

```
f = @spawnat n (x.^2, myid())
```

To get the result, one needs to "fetch" it by the reference.

```
fetch(f)
```



Parallel computing: Executing a procedure remotely

Julia uses the concept "future" referring to the remote execution.

To run a procedure on an automatically chosen process

```
f = @spawn (x.^2, myid())
```

To run a procedure on a specific process

@spawn *stmt*

```
f = @spawnat n (x.^2, myid())
```

To get the result, one needs to "fetch" it by the reference.

@spawnat *proc stmt*

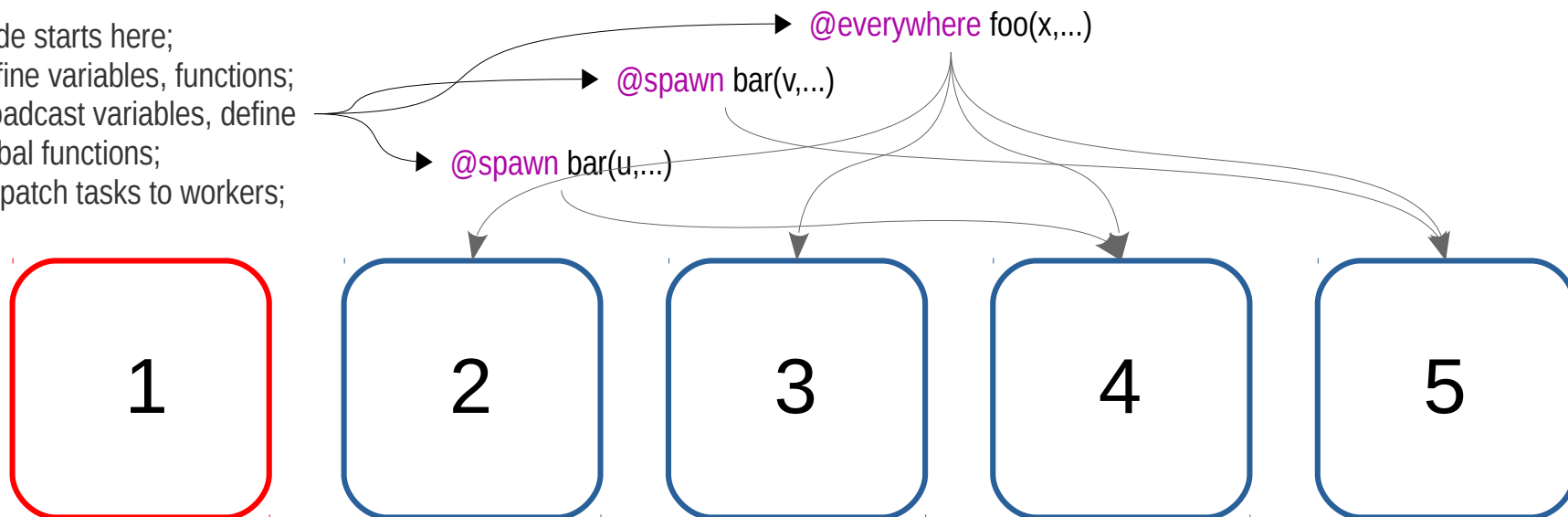
```
fetch(f)
```



Parallel computing: Programming model

Julia always uses $1+p$ processes: A control or Main process, plus p Worker processes

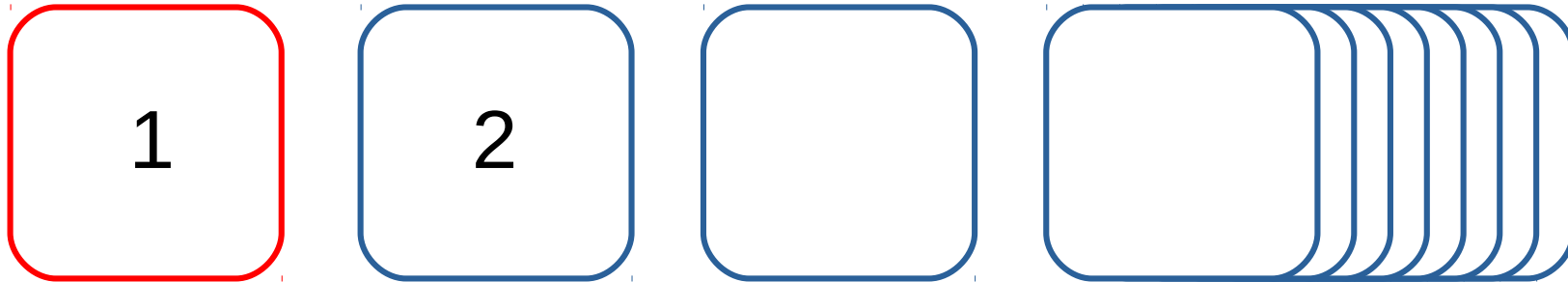
Code starts here;
Define variables, functions;
Broadcast variables, define
global functions;
Dispatch tasks to workers;



Tasks are dispatched and computed on workers, like jobs are done on compute nodes.



Who am I?



Parallel computing: Placing a remote call

Asynchronous call, non-blocking, returns immediately

```
f = remotecall( maximum, WorkerPool(workers()), x )
```

call *where* *var*

To get the result

```
r = fetch(f)
```

Synchronous call, combines remotecall() and fetch()

```
r = remotecall_fetch(maximum,WorkerPool(workers()),x)
```



Parallel computing: Producer-consumer model

A communication channel between “tasks” **Channel** can be used for communication between tasks.

```
c1=Channel(1024)
```

```
c2=Channel(1024)
```

Define a function that wraps producer-consumer pattern

```
function foo()  
    while condition==true  
        data = take!(c1) # Take a task from c1  
        Process data. If this is the last data set condition=false  
        put!(c2, result) # Put result to c2  
    end  
end
```



Parallel computing: Producer-consumer model

A communication channel between “tasks” **Channel** can be used for communication between tasks.

```
c1=Channel(1024)
```

```
c2=Channel(1024)
```

Define a function that wraps producer-consumer pattern

```
function foo()
    while condition==true
        data = take!(c1) # Take a task from c1
        Process data. If this is the last data set condition=false
        put!(c2, result) # Put result to c2
    end
end
```

Then schedule n instances of foo to be active concurrently on **local** machine

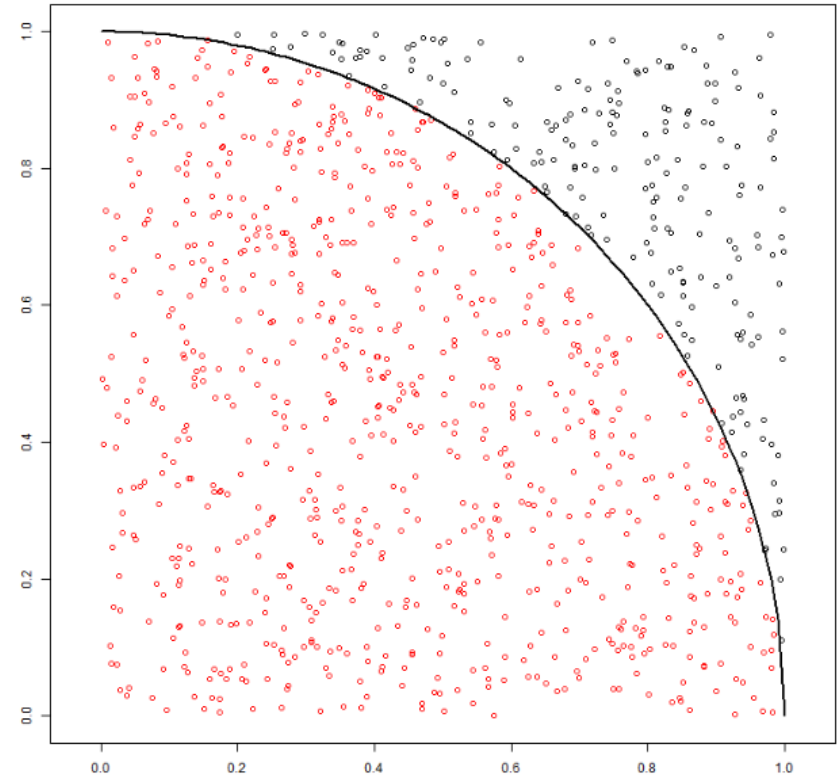
```
for _ in 1:n
    @async foo()
end
```



Parallel computing: Calculating the approximation of pi

We compute the approximation of pi by counting the points uniformly tossed inside an 1/4 circle vs total number of points over the unit square (See Marc Marano Maza 2017).

$$\frac{\frac{1}{4}\pi a^2}{a^2} = \frac{n_{\text{in}}}{n} \implies \pi \approx 4 \frac{n_{\text{in}}}{n}$$



Create a file "pi_dist.jl", define a function that counts the number of points falling inside the circle

```
function points_inside_circle(n)
    n_in = 0
    for i=1:n
        x, y=rand(), rand()
        n_in += (x*x + y*y) <= 1
    end
    return n_in
end
```

In the same file, define a function wrapper that computes the approximation of pi in parallel

```
function pi_p(n)
    p = nworkers()
    n_in = @distributed (+) for i=1:p # A reduction call
        points_inside_circle(n/p)
    end
    return 4*n_in/n # The approximation of pi
end
```

This function executes on multiple cores in parallel and collects the result by reduction

@distributed op procedure



Parallel computing: Calculating the approximation of pi

Create a file "pi_dist.jl", define a function that counts the number of points falling inside the circle

```
function points_inside_circle(n)
```

```
    n_in = 0
```

```
    for i=1:n
```

```
        x, y = rand(), rand()
```

```
        n_in += (x2 + y2) <= 1
```

```
    end
```

```
    return n_in
```

```
end
```

In the same file, define a function wrapper that computes the approximation of pi in parallel

```
function pi_p(n)
```

```
    p = nworkers()
```

```
    n_in = @distributed (+) for i=1:p # A reduction call
```

```
        points_inside_circle(n/p)
```

```
    end
```

```
    return 4*n_in/n # The approximation of pi
```

```
end
```

@distributed op procedure

N.B. This function executes on multiple cores in parallel and collects the result by reduction

@distributed op procedure



Parallel computing: Calculating the approximation of pi

Now we start julia with 4 workers using command

```
julia -p 4
```

Within julia, use the commands below

```
julia> using Distributed
```

```
julia> @everywhere include("pi_dist.jl") # Load functions on all processes
```

```
julia> pi_p(1_000_000) # pi_p() is defined in file "pi_dist.jl"
```

```
3.1419629999999996
```



Parallel computing: Distributed arrays

Example: A matrix stored across 4 processes on a 2x2 Cartesian processor grid

Process 1 has the blue portion.

But it also has access to other portions stored remotely, **simply via indices.**

2	-1						
-1	2	-1					
	-1	2	-1				
		-1	2	-1			
			-1	2	-1		
				-1	2	-1	
					-1	2	

Suitable for handling large data sets that can NOT fit on a single machine.



Parallel computing: Distributed arrays

using Distributed, DistributedArrays

@everywhere using LinearAlgebra

@everywhere function aa(n)

la = zeros(n,n)

la[diagind(la,0)] .= 2.0

la[diagind(la,-1)] .= -1.0

la[diagind(la,1)] .= -1.0

return la

end

@everywhere function b1(n)

la = zeros(n,n); la[1,n] = -1.0;

return la

end

@everywhere function b2(n)

la = zeros(n,n); la[n,1] = -1.0;

return la

end

Matrix A distributed on 4 processors on a 2x2 grid

2	-1						
-1	2	-1					
	-1	2	-1				
		-1	2	-1			
			-1	2	-1		
				-1	2	-1	
					-1	2	-1
						-1	2



Parallel computing: Distributed arrays

Call functions on workers to create local portions

```
d11 = @spawnat 2 aa(4)
```

```
d12 = @spawnat 3 b1(4)
```

```
d21 = @spawnat 4 b2(4)
```

```
d22 = @spawnat 5 aa(4)
```

Create a distributed matrix on a 2x2 processor grid

```
DA = DArray(reshape([d11 d21 d12 d22],(2,2)));
```

NB:

- No (large) data communications between Main and workers;
- **d11, d12, d21, d22** are not matrices, but handles – futures. They are NOT taking up spaces;
- **DA** is NOT the whole matrix either, it's a reference;
- But one can access the entire matrix by simply using the index, e.g. `DA[5000,5050]` even though it's not local.

Matrix A distributed on 4 processors on a 2x2 grid

2	-1						
-1	2	-1					
	-1	2	-1				
		-1	2	-1			
			-1	2	-1		
				-1	2	-1	
					-1	2	
						-1	2

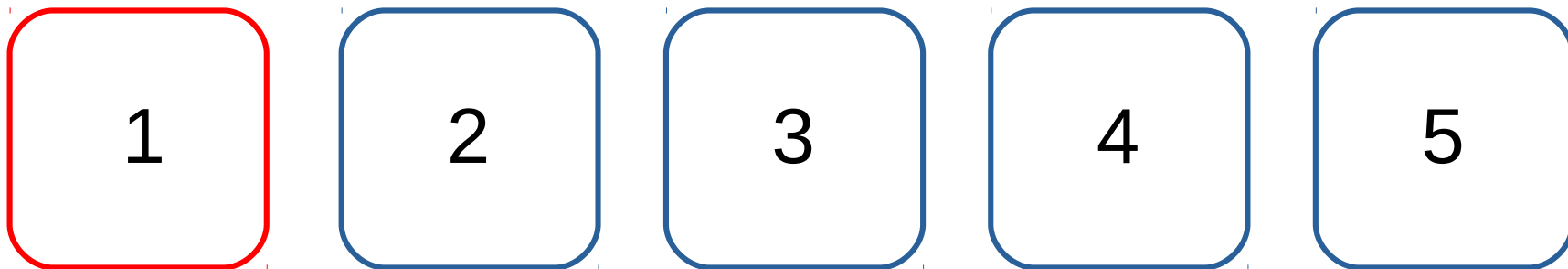


Parallel computing: Distributed arrays

Julia always uses $1+p$ processes: A control or Main process, plus p Worker processes

`varinfo()`

← **To see vars on “me”**



To see vars on others



`@everywhere using InteractiveUtils`
`fetch(@spawnat p varinfo())`



Parallel computing: Distributed arrays

```
# Call functions on workers to create local portions
```

```
n=100
d11 = @spawnat 2 aa(n)
d12 = @spawnat 3 b1(n)
d21 = @spawnat 4 b2(n)
d22 = @spawnat 5 aa(n)
```

```
# Create a distributed matrix on a 2x2 processor grid
```

```
DA = DArray(reshape([d11 d21 d12 d22],(2,2)));
```

```
# Examine storage on Main
```

```
varinfo()
```

Examining the storage on Main (Process 1):

```
julia> varinfo()
```

Name	size	summary						
Base		Module						
Core		Module						
DA	544 bytes	200×200 DArray{Float64,2,Array{Float64,2}}						
Distributed	2.021 MiB	Module						
InteractiveUtils	162.090 KiB	Module						
Main		Module						
aa	0 bytes	typeof(aa)						
ans	544 bytes	200×200 DArray{Float64,2,Array{Float64,2}}						
b1	0 bytes	typeof(b1)						
b2	0 bytes	typeof(b2)						
d11	32 bytes	Future						
d12	32 bytes	Future						
d21	32 bytes	Future						
d22	32 bytes	Future						
n	8 bytes	Int64						



Parallel computing: Distributed arrays

```
# Call functions on workers to create local portions
```

```
n=100  
d11 = @spawnat 2 aa(n)  
d12 = @spawnat 3 b1(n)  
d21 = @spawnat 4 b2(n)  
d22 = @spawnat 5 aa(n)
```

```
# Create a distributed matrix on a 2x2 processor grid
```

```
DA = DArray(reshape([d11 d21 d12 d22],(2,2)));
```

```
# Examine remote storage on Worker 2
```

```
fetch(@spawnat 2 varinfo())
```

Examining the storage on Worker 2:

```
julia> fetch(@spawnat 2 varinfo())
```

Name	size	summary					
Base		Module					
Core		Module					
DA	78.656 KiB	200×200 DistributedArrays.DArray{Float64,2,Array{Float64,2}}					
Distributed	1.421 MiB	Module					
Main		Module					
aa	0 bytes	typeof(aa)	-1	2	-1		
b1	0 bytes	typeof(b1)		-1	2	-1	
b2	0 bytes	typeof(b2)					
n	8 bytes	Int64		-1	2	-1	
						-1	2



Parallel computing: Distributed arrays

```
julia> # Perform A*A directly on distributed arrays
```

```
julia> DB = zeros(8,8)
```

```
julia> DB = DA*DA
```

```
julia> # Check remote values on process 3
```

```
julia> f = @spawnat 3 DB.localpart # Remote call returns a future
```

```
julia> fetch(f)
```

```
4x4 Array{Float64,2}:
```

```
0.0 0.0 1.0 -4.0
```

```
0.0 0.0 0.0 1.0
```

```
0.0 0.0 0.0 0.0
```

```
0.0 0.0 0.0 0.0
```

```
julia> remotecall_fetch(localpart,3,DB) # Alternative
```

Result of A*A distributed on 4 processors

5	-4	1					
-4	6	-4	1				
1	-4	6	-4	1			
	1	-4	6	-4	1		
		1	-4	6	-4	1	
			1	-4	6	-4	1
				1	-4	6	-4
					1	-4	5



Parallel computing: Distributed arrays

```
julia> # Access components owned remotely
```

```
julia> DB[5:8,1:4]
```

```
4x4 view(::DArray{Float64,2,Array{Float64,2}}, 5:8, 1:4) with eltype Float64:
```

```
0.0 0.0 1.0 -4.0  
0.0 0.0 0.0 1.0  
0.0 0.0 0.0 0.0  
0.0 0.0 0.0 0.0
```

Result of A*A distributed on 4 processors

5	-4	1					
-4	6	-4	1				
1	-4	6	-4	1			
	1	-4	6	-4	1		
		1	-4	6	-4	1	
			1	-4	6	-4	1
				1	-4	6	-4
					1	-4	5



Parallel computing: Distributed arrays

Summary:

- Define functions to be executed on workers, e.g. via `@everywhere`;
- Define global variables and broadcast to workers, e.g. via `@everywhere`;
- Create distributed arrays, by calling functions on workers, via `@spawnat` or `remotecall()`;
- Perform the operations on the distributed arrays, as if they were local;
- **This is a very different concept from the SPMD model** (often seen in scientific applications, e.g. written in MPI)



Summary (cont'd):

- So far not much self-contained functionalities are available, but only allows one to reference to global spaces by indexing to the elements.
- Each process has a global view of any distributed objects.
- It uses one-sided communication via underlying libraries (e.g. MPI). The other prominent programming language that supports global address access is Fortran.
- Support from third party libraries are expected.
- A few packages to look at
 - **Elemental** – hides the communication APIs and one can do linear algebra operations as is, such as `svdvals(A)` to get SVD values.
 - **PETSc** – contains explicit MPI like APIs.
 - **Trilinos** – contains explicit MPI like APIs.



Parallel computing: Shared arrays

Shared arrays via module SharedArrays provide a convenient way of accessing data among processes. The following creates a 5x4 integer array on each process

```
using SharedArrays
```

```
A = SharedArray{Int,2}((5,4))
```

Changes to A in one process also happen to A on other processes.



Example: 1D heat equation. A rod heated in the middle, the temperature distribution over time can be simulated by the following

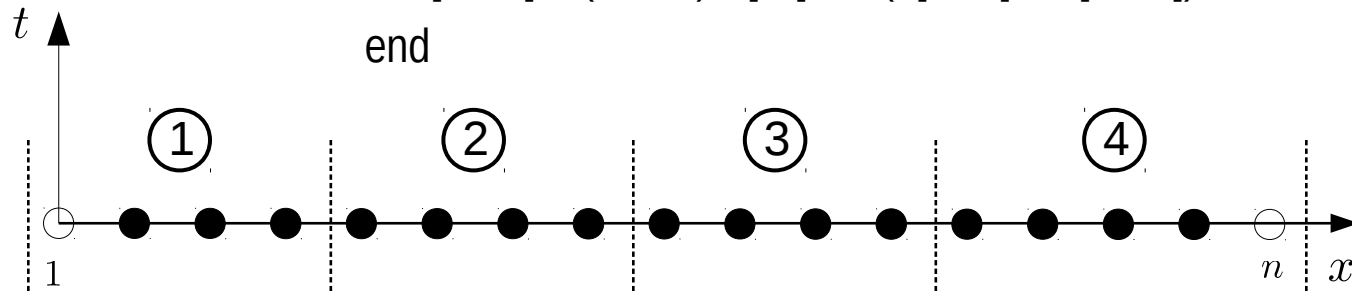
$$T(x, t + \Delta t) = (1 - 2k)T(x, t) + k(T(x - \Delta x, t) + T(x + \Delta x, t))$$

Using a 2D array $u[i,j]$ to store the temperature at spatial points (1st dim) and over time steps (2nd dim),

```
for i=i1:in
```

$$u[i,k+1] = (1.0-2r)*u[i,k] + r*(u[i-1,k] + u[i+1,k])$$

```
end
```



The spatial points are partitioned into p , e.g. 4, worker groups, the temperature in each is updated concurrently independent of other groups.



NB: The loop

```
for i=2:n-1
```

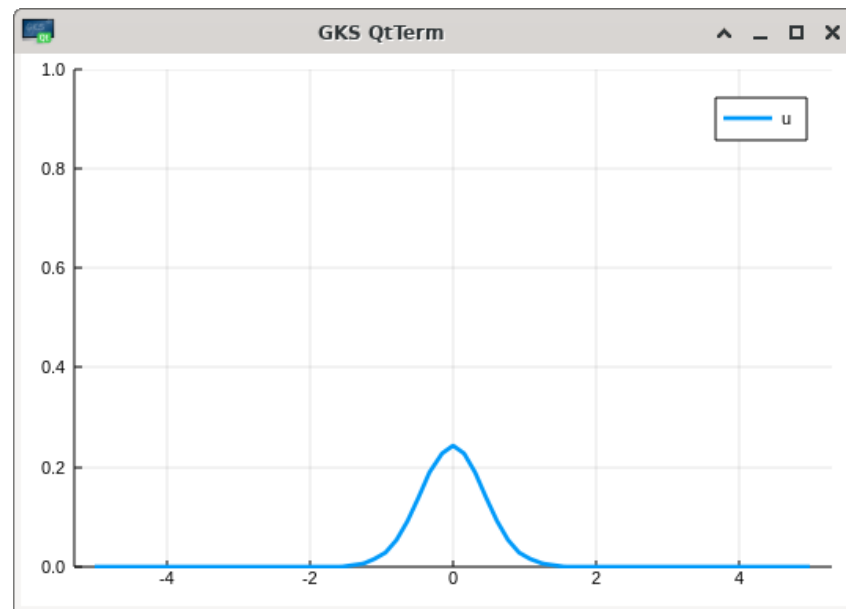
$$u[i,k+1] = (1.0-2r)*u[i,k] + r*(u[i-1,k] + u[i+1,k])$$

```
end
```

can be replaced by the vectorized form

$$u[2:n-1,k+1] = (1.0-2r)*u[2:n-1,k] + r*(u[1:n-2,k] + u[3:n,k])$$

See our Python, Matlab/Octave and Fortran courses.



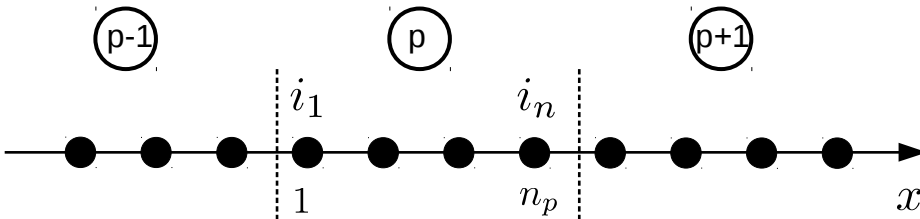
NB: $2r$ is not a typo, it is a legitimate literal expression in Julia



Parallel computing: Shared arrays

Serial code (sketch)

```
u = zeros(n,nt);  
... ..  
for k=1:nt-1  
    u[2:n-1,k+1] = (1.0-2r)*u[2:n-1,k] + r*(u[1:n-2,k]+u[3:n,k])  
    if (k % nt_disp == 0)  
        display(plot(x,u[:,k],lw=3,ylim=(0,1)))  
    end  
end
```



Parallel code (sketch)

```
u = SharedArray{Float64,2}(n,nt);  
u .= 0;  
@everywhere function update(u,k,p)  
    i1 = np*(p - 1) + 1; # Start index  
    if (p == 1) # Skip the boundary point  
        i1 = 2;  
    end  
    in = i1 + np + n % num_workers - 1; # End index  
    if (p == num_workers) # Skip the boundary point  
        in = n - 1;  
    end  
    u[i1:in-1,k+1] = (1.0-2r)*u[i1:in-1,k] + r*(u[i1-1:in-2,k]+u[i1+1:in,k])  
end
```

NB: Although the data of u is shared, but u itself is not. It must be passed to workers.



Parallel computing: Shared arrays

Serial code (sketch)

```
for k=1:nt-1
    u[2:n-1,k+1] = (1.0-2*r)*u[2:n-1,k] + r*(u[1:n-2,k]+u[3:n,k])
    if (k % nt_disp == 0)
        display(plot(x,u[:,k],lw=3,ylim=(0,1)))
    end
end
```

Parallel code (sketch)

```
for k=1:nt-1
    @sync begin
        for p=1:num_workers
            @async remotecall(update,p+1,u,k,p);
        end
    end
    if (k % nt_disp == 0)
        display(plot(x,u[:,k+1],lw=3,ylim=(0,1)))
    end
end
```

Three args passed to update().
NB: Although the data of u is shared, but the u itself as a reference must be passed to workers.

`remotecall(func, pid, args_of_func)` – returns immediately



Summary

- Shared arrays are for the local computer only (Fortran's co-arrays can be across nodes);
- Shared arrays can be accessed via global indexing, hence convenient for parallel algorithms;
- For $A = \text{SharedArray}\{\text{Float64}, 2\}(n, n)$, the data is shared, but A is not. It's a reference and must be passed to participating workers via any of the following

`@everywhere function ... end` or `@everywhere var=...`

`@everywhere include(code_script)`

`@remotecall(func, worker_set, var_list)`

- Math and linear algebra operations apply to shared array objects as regular arrays;
- Lastly the diffusion example can also be implemented using distributed arrays, so it can run on clusters.



Threads in julia



Parallel computing: Threads

Example: Parallel loop. First start julia with say 4 threads by setting environment variable

```
export JULIA_NUM_THREADS=4
```

Then run julia. In julia, run the following commands

```
using Base.Threads
```

```
threadid() # Should be 1
```

```
nthreads() # Should be 4
```

```
n=10
```

```
a = zeros(n)
```

```
@threads for i=1:n
```

```
    a[i] = threadid()
```

```
end
```

Results

```
julia> a
```

```
10-element Array{Float64,1}:
```

```
1.0
```

```
1.0
```

```
1.0
```

```
2.0
```

```
2.0
```

```
2.0
```

```
3.0
```

```
3.0
```

```
4.0
```

```
4.0
```



Parallel computing: Threads

Example: Create threads with

```
export JULIA_NUM_THREADS=4
```

and have each one do some work in a function

```
using Base.Threads
```

```
nthreads()
```

```
function do_something()
```

```
    println("In Thread ", threadid())
```

```
    sleep(1)
```

```
end
```

```
@threads for _ in 1:nthreads()
```

```
    do_something()
```

```
end
```

Results

In Thread 4

In Thread 1

In Thread 2

In Thread 3

NB: Julia seems to only create threads up to the number of available physical cores.



Summary

- So far the threads module in julia is still experimental;
- The number of threads can be created seems to be limited by the physically available cores;
- There doesn't to be a way of creating more threads on demand;
- We will have a separate talk dedicated to julia multi-threading programming;
- See Jeff Bezanson (Julia Computing), Jameson Nash (Julia Computing), Kiran Pamnany (Intel), “Announcing composable multi-threaded parallelism in Julia”, 2019.



Running julia on CCF systems



Loading modules

Run the following commands

```
module spider julia
module spider julia/1.3.1
```

Then load dependencies and jula

```
module load julia/1.3.1
```

Example: "hello.jl" - Displaying IDs of all worker processes

using Distributed

```
println("Number of cores: ", nprocs())
println("Number of workers: ", nworkers())

# Each worker gets its id, process id and hostname
for i in workers()
    id, pid, host = fetch(@spawnat i (myid(), getpid(), gethostname()))
    println(id, " ", pid, " ", host)
end

# Remove the workers
for i in workers()
    rmprocs(i)
end
```



Slurm job script: run_julia.sh – run across nodes, containing the following lines

```
#!/bin/bash
#SBATCH --ntasks=64          # Number processes
#SBATCH --cpus-per-task=1
#SBATCH --mem-per-cpu=1024M # Memory, default 4GB
#SBATCH --time=0-00:05      # Run time (DD-HH:MM)
#SBATCH --account=def-bge   # Billing account
#SBATCH --output=hello.log

srun hostname -s > hostfile
julia --machine-file ./hostfile ./hello.jl
```

Submitting jobs

```
sbatch run_julia.sh
```



- [1] Marc Marano Maza, Lecture Notes: Distributed and parallel systems, Department of Compute Science, Western University, 2017.
- [2] Julia documentations: <https://docs.julialang.org/en/v1/>.
- [3] Julia cheat sheet: <https://juliadocs.github.io/Julia-Cheat-Sheet/>.

